

Deadly Embrace: Sovereign and Financial Balance Sheet Doom Loops

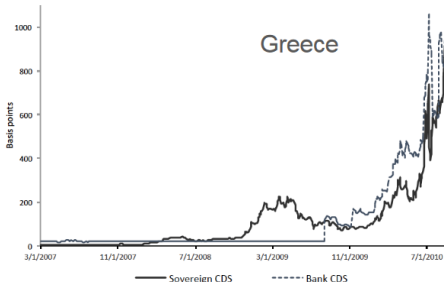
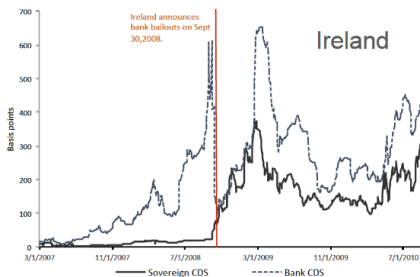
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Doom loop

- Context: The European debt crisis:
 - Increasing sovereign debt levels and spreads.
 - Re-nationalization of sovereign debt holdings.
- Doom loop: From 2009 onward bank and sovereign CDS spreads started to comove.



- Detail the doom loop feedback mechanism.
- Detail re-nationalization mechanisms.
 - Bank incentives: In riskier financial straits the “bailout put” has a higher value.
 - Sovereign incentives: In riskier straits they have incentives to share the risk internationally.
- Provide a rationale for externalized banking supervision.
 - Debtor country: Commitment not to loosen its banking supervision ex post, reducing its ex-ante cost of borrowing.
 - Foreign countries: Reduce the rents extracted by the domestic banking system from the bailouts.

- Three periods: $t = 0, 1, 2$.
- Uncertainty:
 - Date 1: State s is revealed, density $d\pi(s)$.
 - Date 2: Random endowment $E \in [0, \infty)$ is revealed, density $f(E|s)$ and distribution function $F(E|s)$.
- Agents:
 - Sovereign government
 - Banking entrepreneurs
 - International investors
 - Domestic consumers

- International investors:
 - Large continuum of international investors.
 - Date- t utility: $V_t^* = \mathbb{E}_t \left[\sum_{s=t}^2 c_s^* \right]$
 - The international rate of interest is equal to 0
- Domestic consumers:
 - Mass-1 continuum of domestic consumers.
 - Endowment E at $t = 2$, density $f(E|s)$.
 - Consume at date 2 the endowment net of taxes.
 - Utility: $V_t^C = \mathbb{E}_t [c_2^C]$

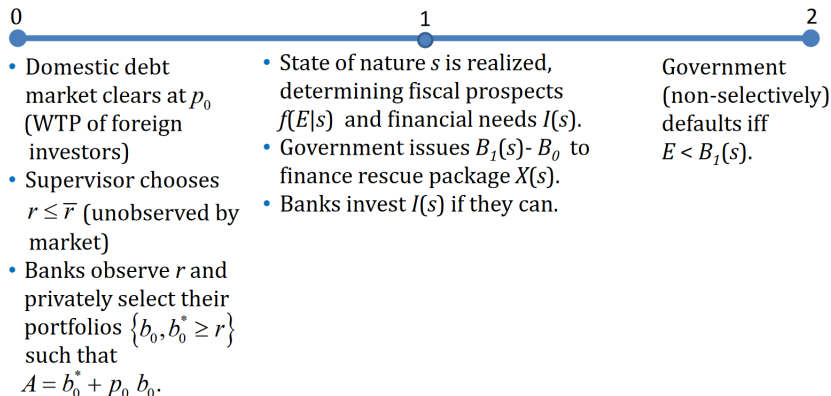
Banking entrepreneurs

- Mass-1 continuum of banking entrepreneurs: $V_t^B = \mathbb{E}_t [c_2^B]$
- Date 0: $A = b_0^* + p_0 b_0$
 - Endowment: A .
 - Investment: Safe foreign bonds b_0^* and risky domestic bonds b_0 .
 - Regulation: $b_0^* \geq r$
- Date 1: Investment opportunity:
 - Investment cost: $I(s)$, such that $\frac{dI(s)}{ds} \leq 0$.
 - Return at date 2: $\rho_1(s) > I(s)$, such that $\frac{d\rho_1(s)}{ds} \geq 0$.
 - $A \geq \max_{s \in S} I(s)$.
 - Liquidate all the assets to finance investment: $p_1(s)$.
 - If a bank cannot finance the investment the sovereign can bail it out $X(s)$.
- Date 2: Consumption: $c_2^B = \rho_1(s) + \max\{b_0^* + p_0 b_0 - I(s), 0\}$

- Government decides without commitment to maximize welfare:

$$W_t = E_t \left[c_2^C + \beta^B c_2^B + \beta^I(s) \mu(s) I(s) \right]$$

- $\beta^B < 1$, so pure transfers are costly.
 - $\beta^I(s)$ high enough so that banks are bailed out.
 - $\mu(s)$ is the share of banks that conduct the investment.
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- Date 0: Outstanding bonds B_0 , maturing at date 2.
 - Regulates the maximum amount of domestic bonds holding for banks, $r \leq \bar{r}$ (unobserved by market): $b_0^* \geq r$
 - Date 1: Bank bailout $X(s)$, debt issuance $B_1(s) - B_0$.
 - Date 2: Default at cost ϕ or repay (fiscal capacity E).
 - ϕ high enough that no default if can repay.



- The marginal investor in domestic bonds is a risk-neutral international investor:

$$p_1(s) = 1 - F(B_1(s)|s)$$

$$p_0 = \int p_1(s) d\pi(s)$$

- At date 1 in states, the Sovereign can thus collect $(B_1 - B_0)[1 - F(B_1|s)]$ by issuing $B_1 - B_0$.
- Issuance Laffer curve: It is strictly quasi-concave in B_1 and increasing in s .
- Bailout capacity is limited.

Equilibrium: Debt issuance

- Banks load up on domestic debt:

$$b_0^* = r$$

- Bailout:

$$X(I(s), r, p_1(s); p_0) = \max\left\{I(s) - r - (A - r) \frac{p_1(s)}{p_0}, 0\right\}$$

- Date 1 bond issuance:

$$p_1(s)[B_1(s) - B_0] = X(I(s), r, p_1(s); p_0)$$

$$B_1(s) = B_0 + \max\left\{\frac{I(s) - r}{p_1(s)} - \frac{A - r}{p_0}, 0\right\} \quad (1)$$

Equilibrium: Doom loop

- Applying the implicit function theorem to the following expression:

$$p_1(s)[B_1(s) - B_0] = \max\left\{I(s) - r - (A - r)\frac{p_1(s)}{p_0}, 0\right\}$$

- Feedback Loop: The sensitivity of date-1 bond prices to the state s when a bailout is required:

$$\frac{dp_1}{ds} = \frac{-\frac{\partial F(B_1(s)|s)}{\partial s} - \frac{1}{p_1(s)} f(B_1(s)|s) \frac{dI(s)}{ds}}{1 - \frac{I(s)-r}{p_1(s)^2} f(B_1(s)|s)} \quad (2)$$

- $\uparrow \frac{dp_1}{ds}$ when $\uparrow I(s) - r$ (financing need)
- $\uparrow \frac{dp_1}{ds}$ when $\uparrow \frac{I(s)-r}{p_1(s)^2} f(B_1(s)|s)$ (semi-elasticity of the debt price to additional debt issuance)

- **Proposition 2:** As long as there are bailouts, it is never optimal for the supervisor to engage in supervisory leniency: $r = \bar{r}$.
 - In this baseline model, leniency reduces the overall welfare:
 - Efficiency benefit: Decreases expected legacy debt repayments.
 - Efficiency cost: Increases the expected default costs.
 - Distributive cost: Increases the rents extracted by bankers at the expense of consumers because of bank bailouts (magnified by doom loop).
- **Proposition 3:** Setting $\bar{r} = \bar{l}$, if feasible, maximizes ex-ante welfare.
 - Avoids banking sector becoming illiquid.
 - Prevents the feedback loop from occurring.

Debt re-nationalization

- Extension of the baseline model:
 - ① Possibility of evading regulation at a cost: $\Psi(r - b_0^*(i))$.
 - ② Bad fiscal shock: Shifter ξ (risk-increasing, $\frac{\partial F(B_1(s;\xi)|s;\xi)}{\partial \xi} > 0$)
 - ③ For simplicity: $I(s) = \bar{I}$ and $A = \bar{I}$
- **Proposition 4:** An adverse fiscal shock ($\uparrow \xi$) leads to a reduction in the price of debt ($\downarrow p_0$) and an increase in the exposure of domestic banks to domestic sovereign risk ($\downarrow b_0^*$):

$$\frac{db_0^*}{d\xi} = \frac{\int_{s \geq \bar{s}} \frac{p_1(s)}{p_0^2} d\pi(s)}{\Psi''(\bar{r} - b_0^*)} \underbrace{\frac{dp_0}{d\xi}}_{< 0} < 0 \quad (3)$$

- Stronger strategic complementarities across banks ($\uparrow \frac{1}{\Psi''(\bar{r} - b_0^*)}$) increase the debt re-nationalization.

- Extension of the baseline model including neighboring countries:
 - ① Incur spillover cost in case of default : $\Gamma > 0$.
 - ② Can operate a (state-contingent) transfer: $T(s) \geq 0$.
 - ③ For simplicity: $I(s) = \bar{I} = A$ and $F(E|s) = F(E - s)$ with f decreasing.
- **Proposition 8:** If Γ is large enough, the only equilibrium with endogenous supervisory leniency features maximal leniency $r = 0$ and is bailout shifting.
 - Bailouts occur only when transfers are strictly positive.
- Doom loop makes transfers more attractive for neighboring countries.

- Under the hypotheses of Proposition 8, supervisory leniency occurs, leading to an inefficient equilibrium.
 - Lax domestic supervision reduces foreign welfare, which is not internalized by the domestic supervisor.
- Centralized supervision alone can reduce welfare.
 - Benefits from lower issuance at date 0 not internalized by foreigners.
- **Proposition 9:** As long as β^B is not too large, a banking union whereby:
 - Supervision is delegated to a supranational supervisor who puts full weight on foreign consumers,
 - Foreigners commit to a set of minimal ex-post transfers,leads to full supervision $r = \bar{r}$ and to Pareto-improvements in welfare.

Conclusions

- The existence of bailouts generates a doom loop mechanism through which risk is transferred between sovereign government and local banks.
 - Abrupt decreases in the debt prices and increases in the amount of debt.
 - Liquidity regulation allows to mitigate this doom loop.
- Banks exploit the doom loop mechanism by debt re-nationalization when:
 - They can hide the overexposure to domestic debt to the supervisor.
 - A default would hurt foreign countries and these would be willing to finance the bailouts.
- Externalized banking supervision combined with compromise to minimal transfers can help to avoid doom loops and increase the welfare.